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## Low-Speed Wind Tunnel Investigation of the Change in Aerodynamic Centre Position and in C<sub>mo</sub> due to Propeller Turbine Nacelles

By

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Low speed wind tunnel tests have been made on the effect of propeller turbine type nacelles on the position of the aerodynamic centre and the pitching moment at zero lift of a multi-engined aircraft. This investigation forms part of a series of tests made to improve stability prediction data, primarily for civil aircraft.

A plain rectingular wing was used to best various lengths of nacelle overhang and rear fairing for both chordline and underslung nacelles parallel and drooped at  $-h^0$  to the wing chordline. Tests were also made with

- (1) two nacelles on a wing to find the mutual interference between them,
- (11) nacelles on both low and high wings on a fuselage to find the interference between the body and a nacelle.

The results have been presented in a form suitable for producting the total effect on longitudinal stability of the nacelles of a turbine driven multi-engined aircraft.

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#### 1 Introduction

A series of tests has been made to improve longitudinal stability predictional low Mach He. for multi-engined civil aircrift with cylindrical type bodies and propeller turbine engines. The effect of bodies<sup>4</sup> and of substream<sup>2</sup> has been covered in other reports. The present report gives the results of tests on the effects of propeller turbine nacelles. The nacelles are relatively small and, when using the complete model, it was not found easy to obtain sufficient accuracy to determine the effect of variations in the nacelles on longitudinal stability i.e. on the position of the aerodynamic centre and on  $C_{m_0}$ . Tests have therefore been made, firstly on a single nacelle on a plain wing, then of interference between adjacent macelles and finally of interference between body and nacelles. Results from a 4-engined and a 6-engined complete model test are also included together with the results of a few carlier unpublished tests on propeller turbine nacelles.

Earlier tests<sup>3</sup> on nacelles for reciprecating engines do not cover the same range of shapes; the reciprecating engines were of relatively greater diameter and were less eventual. The shape of the rear of the nacelles was often complicated by the necessity for housing the undercarriage. There was consequently need for an extension of the previous work.

The method of presentation used in the present report is taken from Ref.3 and the account of its application to any given aircraft is repeated from Ref.3 in the appendix.

#### 2 Details of model and tests

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The tests were made at the R.A.E. in December, 1948 and February, 1949. Tests without body were made in the 5 ft wind tunnel on a rectangular wing of aspect ratio 4.33. A wing of aspect ratio 6 was used in the No.1  $11\frac{1}{2}$  ft tunnel for the tests with a body.

The wing section, a modified R.A.F.44, was chosen to give linear lift and pitching moment curves at low Reynolds number. This was the same section as that used for the tests with slipstream of Ref.2. In the 5 ft tunnel a speed of 200 ft/sec gave a Reynolds number of 1 18 x 10<sup>6</sup> based on the wing chord. A speed of 120 ft/sec was used in the  $11\frac{1}{2}$  ft tunnel giving a Reynolds number of 0.71 x 10<sup>6</sup>, and a fine mesh honeycemb was placed 3 ft ahead of the model to uncrease the turbulence of the airstream, since this is found to straighten the lift and pitching moment curves at low Reynolds number.

Nacelle diameters of 23.7, 27.2 and 35 % chord were used for the tests. The two smaller diameters were representative of multi-engined aircraft fitted with propeller turbines. The nacelle shape used consisted of an elliptic nose fairing, a constant diameter portion reaching to the wing leading edge and a tapered fairing aft of the leading edge. The part of the nacelle shead of the wing could be inclined downwards at  $L^{0}$  to the chordline by inserting a wedge at the wing leading edge. The zero lift angle of the wing was  $-1.4^{\circ}$ , so that relative to the no lift line angles of droop of  $1.4^{\circ}$  and  $5.4^{\circ}$ , so  $ta52^{\circ}$ 

The body used was that of the systematic tests of Ref.1 with the second shortest nose and tail lengths; no fir or tailplane was fitted. A geometric wing-body angle of  $O^0$  was used for both high and low wing positions. Fillets were fitted for the low wing only.

Pelevant dimensions of the two wings, the nacelles and the body are given in Table I and the nacelles are illustrated in Figs.1 and 2. Fig.3 shows the low wing model and the spanwise positions of the nacelles as used for the tests with body.

Readings of lift and pitching moment about the wing quarter chord points were taken over a CL range from -0.1 to 0.5 for the following arrangements of the model, where  $i_N$  is the angle between the nacelle centreline and the no lift line of the wing, and z is the distance of the centre line below the wing chord at the leading edge.

<u>5 ft tunnel tests - 1 nacelle on centre line</u>								
D c	<u>z</u> c	$\frac{\text{Overhang}}{\text{Chord}} = \frac{m}{c}$	$\frac{\text{Rear fairing length}}{\text{Shord}} = \frac{n}{c}$	l 1 <sub>N</sub> °				
0.237	0.121	0.4       0.6       1.0         0.6       1.0         0.6       1.0         0.6       1.0         0.6       1.0         0.6       1.0	0.6 0.6 0.7 0.9 0.9	1.4 5.4 1.4 1.4 5.4				
	Ú.	02 0.5 1.0 0.6 1.0	0 G 0.6	1.4 5.4				
0.272	0.121	0.6 1 0 0.5 1.0 0.6 1.0	0 6 0.7 0.9	1.4 1.4 1.4				
	0	ს.6 1.0	0.6	1.4				
0 356	0.121	1.0	0.9	1.4				
0,550	0	1 0	0,6	1,2				

(a) <u>Nacelle characteristics</u>

#### (b) Mutual nacelle interference

5 it tunnel tests - nacelles with $\frac{m}{c} = 1.0 n_{N} = 1.4^{\circ}$								
D c	Number of nacellus	<u>z</u> c	<u>n</u> ?	Spanwise positions tested - from centre line = $\frac{J}{D}$				
0.237	2 1	0,121	0.6 0.6	2.07 3.80 3.80				
0.356	2	0.121	0.9	2.07 3.80				

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#### (c) <u>Body interference</u>

<u><math>11\frac{1}{2}</math> ft tunnel t-sts</u> - 2 nacelles with $\frac{m}{c} = 1.0$ $n_N = 1.4^{\circ}$									
Wing			$\frac{\text{Jpanwise Position}}{\text{Body Diameter}} = \frac{y}{D_b}$				y D		
	0.047	0.121	1	1.21	1.56	1.95	2.34		
Hıgh	0.297	О		1	2.31 <sub>+</sub>				
	0.356	0.121		1	2.29				
Lor	0.237	0	1	1,21	2.34				
TIC)/A	0.356	0,121	1	1,21	C 26				
No body	0.237	C.121		2.34					

The results of tests made with nacelles in two spanwise positions on the model of Ref.1 are also included in the text of this report (see paragraph 5.1). These tests were made in the R.A.E. No.1  $11\frac{1}{2} \ge 8\frac{1}{2}$  ft tunnel in January, 1948. The wind speed was 120 ft/sec which gave a Reynolds number of 0.65  $\pm$  10<sup>6</sup> based on wing mean chord, or 0.85  $\pm$  10<sup>6</sup> based on wing centre line chord. A honeycomb was in position 3 ft ahead of the model.

The model consisted of the body used for the present tests fitted to a 2:1 tapered wing. No fin or tailplane was fitted. The nacelles tested were similar to the present series, but, as the same size of nacelle was fitted in both inner and outer positions different values of  $\frac{D}{c}$ ,  $\frac{m}{c}$ ,  $\frac{n}{c}$ and  $\frac{Z}{c}$  were obtained for the two spanwise positions. No propellers were represented. The dimensions of the model ar given in Table II and the model is illustrated in Fig.4.

Tests were made with two nacelles on both high and low wing configurations for the two spanwise positions.

#### 3 Presentation of Results

The results are presented as in Ref.3, using  $\Delta G_m' = \frac{\Delta M}{q e^2 D}$  as the

non-dimensional coefficient, D being the maximum width of the nacelle. The slope of the curve of  $\Delta C_n'$  against local lift coefficient  $C_L'$  may be interpreted as the mean distance, as a fraction of the wing chord, through which the aerodynamic centre neves forward over the nacelle span D.  $(\Delta k_n')$ .

In the present tests on the ring and narelles pitching moments were measured about the quarter chord of the wing. From a test of the wing alone, the aerodynamic centre of the wing without nacelles was at 0 217c. Since earlier tests? were measured on a wing with its aerodynamic centre at 0.25c, the present results have been corrected (see Appendix I) to give results applicable to a wing with its aerodynamic centre at 0.25c.

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When a body is present the aerodynamic centre is at 0.145c, and since the lift on the wing which compensates the negative lift on the nacelle acts here a correction is necessary if the tests on the wing alone are to be applied to this case (or to a complete model).

#### 4 <u>Results and Discussion</u>

#### 4.1 Tests with a nacelle on a wing

### 4.11 Forward movement of aerodynamic centre on nacelle

The majority of the tests were made with the smallest diameter nacelle  $\left(\frac{D}{c} = 0.237\right)$ . The values of  $\Delta k_n$ ' obtained with this size of nacelle are given in the following table:-

Nosc length $\frac{m}{c}$	Rear fairing <u>n</u> c	$\frac{z}{c} = 0.121$ $r_{N} = 1.4^{\circ}$	$\frac{z}{c} = 0.121$ $z_{N} = 5.4^{\circ}$	$\frac{z}{c} = 0$ $z_{\rm N} = 1.4^{\circ}$	$\frac{z}{c} = 0$ $z_{\rm N} = 5.4^{\circ}$
0.4	0.6	0.125		0.173	
0.6	0.6 0.7	0.160 0.164	п.1би	0.213	0.224
	0.5	0 162	0,160		
1.0	0.6	0.239	0.233	0,289	0.304
	0.9	0.244	0.234		

e

The table shows that there is little change in  $\Delta k_n$ ' with change in rear fairing length  $\frac{\Lambda}{c}$ , and mean values of  $\Delta k_n$ ' over a range of rear fairing length have been plotted in Fig.8. There is a small increase in  $\Delta k_n$ ' with  $i_N$  for the chordline nacelles  $\left(\frac{z}{c}=0\right)$  and a very small decrease for the underslung nacelle  $\left(\frac{z}{c}=0.121\right)$   $\Delta k_n$ ' is decreased considerably by lowering the nacelle. These variations are consistent with the position of maximum upwash being below the wing chord, so that a chordline nacelle with  $5.4^{\circ}$  of droop is nearer the region of maximum upwash than the chordline nacelle with no droop. The 12% underslung nacelle lies below the region of maximum upwash. It is probable that a nacelle with a small amount of underslinging might be more in this region than the present chordline nacelles and consequently might give a higher value of  $\Delta k_n$ '.

Values of  $\Delta k_n$ ' have been plotted against diameter/chord ratio in Fig.9 for the three macelle diameters tested. It is observed that for the range  $\frac{D}{c} = 0.20$  to 0 30 (that associated in the propeller turbine nacelles) there is about 20% increase in  $\Delta k_n$ '. Values of  $\Delta k_n$ ' estimated from Ref.3 are also plotted in Fig.9 and appear to give good agreement with an extrapolation of the present results.

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4.12 Change in pitching moment at zero lift  $\left(\frac{\Delta N_{O}}{qc^{2}D} = \Delta C_{m_{O}}'\right)$ 

For any given value of  $\frac{D}{c}$  the principal parameters which determine the value of the pitching moment at zero lift due to a nacelle are the length of overhang  $\left(\frac{m}{c}\right)$ , the angle of droop  $(i_N)$  the amount of underslinging  $\left(\frac{z}{c}\right)$  and the length of the rear fairing  $\left(\frac{n}{c}\right)$ . It is found that a convenient way of expressing most of these parameters is to use  $\frac{z_m}{c}$ , where  $z_m$ is the distance of the rid point of the overhanging part of the nacelle below the no lift line of the unique a basis for plotting. Values of  $\frac{z_m}{c}$  are given at the ord of Table I and values of  $\Delta C_{m_0}$  are plotted against  $\frac{z_m}{c}$  in Fog.10 for the enable lengths of rear fairing. The curves give sufficient accuracy for estimator purposes within the range tested i.e. for overhangs between 0.4 = 1.0 wing shord.

Values of  $\Delta C_{m_{\rm C}}$ ' have been plotted against diameter/chord ratio in Fig.11 for the three nacelle diameters tested. Over the range  $\frac{D}{c} = 0.20$  to 0.30 the change in  $\Delta C_{m_{\rm C}}$ ' is very slight.

4.13 Loss of Jift 
$$\left(\frac{\Delta L}{\text{geD}} = \Delta C_{-1}\right)$$

The values of the lift loss given in Table III are plotted against nacelle overhang in Fig 12. The values have been obtained from analysic of the values of lift at the zero lift angly of the wing alone. In order to generalize the values of  $\Delta C_L'$  a monification of the method suggested by Smelt and Smith in Fef.4 has been used.

The effective incidence of the macelle centre line relative to the wing ( $\beta$ ) has been calculated (see Appendix II) and used as a basis for plotting in Fig.13. It is seen that it is possible to draw two separate lines through the experimental points, one representing no droop relative to the chordline ( $u_N = 1.4^{\circ}$ ) and one representing  $4^{\circ}$  of droop relative to the chordline ( $u_N = 5.4^{\circ}$ ). The lines are drawn for overhangs of 0.6 - 1.0 chord. Shorter nacelles tend to give larger lift lesses (Fig.12) but the difference is negligible for the purpose of correcting values of  $\Delta C_{m_0}$ '.

## 4.14 Comparison with previous method of estimation of $\Delta k_n^{\dagger}$ and $\Delta c_{in_0}^{\dagger}$

The tests of Ref 3 were made on reciprociting engine macelles with a diameter of 0.463 thord and for overhangs of 0.1, 0.3 and 0.5c. The curves of Ref.3 have been used to estimate  $\Delta k_n$ ' for overhangs of 0.6 and 1.0 shord (see Fig.9) and the agreement between the two sets of tests is good. With the larger diameter reciprocating engine macelles there is no variation of  $\Delta k_1$ ' with vertical keight. This tendency is also noticed with the results of tests on the macelles of diameter 0.356 chord where the ratio  $\frac{\Delta k_n'}{\Delta k_n'}$  inderslung is less than that obtained for the smaller macelles. To give a more direct comparison within the ranges of overhang tested the results of the present tests have been used to estimate values of  $\Delta k_n'$  and  $\Delta C_{m_0}'$  for values  $\frac{m}{c} = 0.5$ ,  $\frac{z}{c} = 0.093$  and 0:-

			۵Łn	7	ΔC <sub>mo</sub> '		
<u>z</u> c	$\begin{array}{c c} \underline{z} & \underline{n} & \underline{h} \\ \hline c & c \\ \hline \end{array} & \begin{array}{c} \underline{From \ present} \\ results \\ \end{array}$		Measured (Fef.3)	Estimated from present results	Measured (Ref.3)		
0.093	0.80	0.115	0 205	u.212	-0.105	-0.030	
0	0.80	0,022	0.253	0.211	-0.055	-0.013	

The agreement is good for  $\Delta k_n'$  although there is no variation with  $\frac{z}{c}$  in the measured values. Differences in  $\Delta C_m'$  are possibly due to the difference in shape of the two rear fairings, coupled with errors introduced by extrapolation.

4.2 <u>Tests with mutual interforence between hacelles and interference</u> between body and nacelles

## 4.21 Effect of mutual interference between two nacelles on the stability changes due to a nacelle

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The values of  $\Delta k_n$ ' and  $\Delta C_m$ ' obtained with two nacelles on the wing are given in Table III, Section III.

The results show that in any practical position for propeller turbines, there is no mutual interference between nacellos.

#### 4.22 Effect of a body on the stability changes due to a nacelle

The results of the tests made in the  $11\frac{1}{2}$  ft tunnel with a body on the wing in both high and low positions and with no body in position are given in Table V. At a spanwise position of 2,34 body diameters the value of  $\Delta k_n$ ' due to a nacelle is found to be the same with and without a body in position for inderslung nacelles of diameter 23.7/3 chord. Assuming that the amount of disturbance of the flo- with the body in position depends only upon the boly diameter this equality at 2.34 body diameters may be assumed for the chordlinc nacellos. It is then convenient to express the effect of the body as the ratio of the value of  $\Delta k_n'$  due to a nacelle at a given spanitic, position divided by the value of  $\Delta k_n'$ due to a nacelle unaffected by the body 1 c. at 2.34 body diameters outboard of the centre line. The ratios or interference factors obtained by this method are given in Table V and plotted against the spanwise positions of the nacello in F.g. 14. Two curves are drawn, for high and low wing respectively. The higher values associated with the high wing combination may be expected from the geometry of the model, the body being below the nacelles and causing more disturbance of the flow than would be associated with a low wing.

The values of the pitching moment at zero lift for the nacelle on a wing alone and on a wing with a body are the same at 2.34 body diameters outboard of the centre line. A simple ratio depending on spanwise position cannot be used, as the values of  $\Delta C_{\rm mo}$ ' depend largely upon the amount of

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underslinging It is possible, newever, to examine the differences existing between the values obtained with nacelles at spanwise positions less than 2.34 body diameters and the value for the nacelle at that position. These differences are given in Table V and plotted in Fig.15. Using the nacelles of diameter 23.7, chord two curves are drawn, one for the high and one for the low wing model. The nacelles of diameter 35.6/ chord give a  $\Delta C_{\rm ino}$  of smaller magnitude at a spanwise position of 1 body diameter find at a position of 2.18 diameters outboard. The exposite sign of the interference in this case may result from the narrow expanding passage with the large nucelle so close to the body.

Brief calculations indicate that the effect of the body on the longitudinal velocity at the nacelic positions is insignificant. Consideration of the potential flot round an inclined infinite cylinder gives values of upwash angle at the nacelic positions, of the right order to explain the interference effect on  $\Delta k_n'$ . From this it would be expected that the body effect on  $\Delta C_{ro}'$  would be propertical to the accodynamic wing body angle. Pesults of tests on the nacelies of the Saunders Roe 10/46 (Fef.5) support this conclusion:-

Spanwise position of nacelle in body clameters	Ustima Liredya bouy an	ted for an n_c wing- glo of 1 4	Measured with an acrodynamic wing- body angle of 5.00		
from centre line		Interference incremint	AC <sub>n.0</sub> ' Dor nicello	Interference increment	
1.05	-0,082	-0.013	<b>-</b> 0.137	-0.056	
2.10	-0.073	-0, JC2	-0 093	<b>-</b> 0.012	
3.15	-0.071	0	-0.031	0	

### 5 Comparison with existing results for propeller turbine nacelles

## 5.1 Previous tests with nacelle, on a tapered ring (Fig. 4)

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The differences in the parameters  $\frac{D}{c}$ ,  $\frac{m}{c}$ ,  $\frac{n}{c}$  and  $\frac{z}{c}$  between identical nacelles in inner and cuter positions on a tapered wing prevent the determination of interference factors and increments. The results of the two peries of tests have therefore been compared by using the later results to estimate the earlier only. Estimated and measured values of  $\Delta k_n$ ' and  $\Delta C_m$ , ' are presented in the table. These values are converted to values of  $\Delta k_n$  and  $\Delta C_{\rm Ho}$  by multiplying by a factor of the order of  $\frac{1}{30}$ .

			HIGH V	VING	LOW WING	
		- <u>Μ</u>	Estimated	Measured	Estimated	Measured
I $\Delta k_n'$ per nacelle						
Underslung $\frac{z}{c} = 0.121$	Inner {	2 6	0.304 0.294	0.342	0.271 0.262	0.271 0.266
Underslung $\frac{z}{c} = 0.138$	Outer {	2 6	0.271 0.261	0.279	0.271 0.261	0.284 0.280
Chordline $\frac{z}{c} = 0$	Inner	2	0.358	0.364	0.320	0.332
Chordline $\frac{z}{c} = 0$	Outcr	2	0.315	0.304	0.315	0.310
II ΔC <sub>mo</sub> ' per nacelle						
Underslung $\frac{z}{c} = 0$ 121	Inner {	2 6	0.122 0.157	0.160	0.117 0.153	0.144 0.157
Underslung $\frac{z}{c} = 0.138$	Outer {	2 6	0.112 0.151	0.129 -	0.112 0.151	0.136 0.176
Chordline $\frac{z}{c} = 0$	Inner	2	0.035	0.047	0.031	0.041
Chordline $\frac{z}{c} = 0$	Oater	2	0.023	0.024	0.024	0.027

It is seen that the agreement between estimated and measured values of  $\Delta k_n'$  is good. The small discrepancy between the estimated and measured values of  $\Delta C_{m_0}'$  is possibly due to slight differences in the shape of the rear fairing existing between the two series of tests.

#### 5.2 Other results for propeller turbine nacelles

At present there is little information available on the effects of nacelles for propeller turbine installations on the stability of an aircraft. There are however results of firms tests on the Viscount, a low wing four-engined aircraft and R.A.E. tests on the S.R.10/46, a six-engined flying boat (Ref.5). The layout of these two models is illustrated in Figs.5 and 6 respectively.

Estimated and measured values of  $\Delta k_n$  ,  $\Delta C_m$  and  $\Delta C_L$  for both aircraft are given in the following tables:-

(i) <u>Viscount</u>

	۵k <sub>n</sub>	∆C <sub>mo</sub>	γcΓ
Estimate for 2 Inner nacellos	0, 1395	-0.070	0.0065
Estimate for 2 Outer nacellos	0.0265	-0.085	0.0115
Estimate for all 4 nacelles	0.0660	-0.155	0.0180
Measured values for all 4 nacelles	0 0650	-0.135	0.0150

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## (11) <u>S.R.10/46</u>

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1	[] ∆1	<sup>&lt;</sup> n	Δ	C <sub>mo</sub>	$ riangle \mathbb{C}^{\Gamma}$	
	Estimated	Measured	Estimated	Measured	Estimated	Measured
2 Inner nacelles	0.012	0.01 <b>1</b>	-0.0055	-0.009	0,006	0.008
2 Centre nacelles	0.008	0,008	-0.0045	-0.006	0,008	0.008
2 Outer nacelles	0.002	0.003	<b>-0</b> .004)	-0.005	0.008	0.008
Total for 6 nace les	0.028	0.027	-0.0145	-0.020	0.022	0.024

It is seen that the agreement between estimated and measured values is good for  $\Delta k_{\rm h}$  and an interference factor of 1.37 is obtained between the inner and outer nacelles of the S.R 10/46 which agrees with the factor of 1.39 used in the estimation. Discrepancies between the estimated and measured  $\Delta C_{\rm mo}$  for the S.R.10/46 are due to a difference in aerodynamic wing body angle between the present test model and the S.R.10/46 (see paragraph 4.22). Insufficient test data are available to analyse the small discrepancy for the Viscount

The present report may be used to estimate value of of  $\Delta k_n'$  and  $\Delta C_{m_0}'$  but its scope is limited by the lack of tests with more than one wing body angle and amount of underslinging. The small amount of data available does suggest that the fuselage interference of  $\Delta C_{m_0}'$  due to a nacelle is proportional to the aerodynamic wing-body angle.

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### LIGT OF SYMBOLS

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С	=	local wing chord at nacelle
c	H	standard mean chord of wing
D	Ħ	nacelle maximum width (= diameter for circular nacelles)
Db	=	maximum body width at the fore and aft position of the nacelle (= diameter for pircular bodice)
лN	=	aerodynamic wing-nacello angle
m		overhang of nacelle
n	Ξ	longth of natull benind loading edge of wing (rear fairing length)
g	11	dynamic pressure
S	=	wing area
У	=	spanwise co-ordinate (+ve from centre line towards starboard wing tip)
Z	=	the distance of the centre line of the nacelle below the L.Z. of the many i.e. a vertical co-ordinate (+ve downwards)
z <sub>m</sub>	-	distance of mid point of overhanging part of nacelle below the no-lift line drawn through the local quarter chord point of the wing
Ц	=	offective incidence of the nacelly centre line relative to the wing
θ	=	angle of nacelle centre line to wing chordline
φ	Ξ	angle of wing nacelle chordline to wing chordline
$C_{L}$	=	lift coefficient of whole model without tail
$C_{L_{local}}$		local lift coefficient at nacelle centre line
$\Delta k_n$	Ξ	$\frac{-\partial\Delta M}{qSC}$ / $\partial C_L$ = forward movement of aerodynamic centre due
		to a nucelle (based on whole wing area)
$\Delta k_n$ '	=	$\frac{-\partial \Delta M}{\partial C_{L_{local}}}$ - forward movement of aerodynamic centre due qc <sup>2</sup> D
		to a nacelle (bascd on local wing area at nacelle)
$\Delta c_{m_o}$	1	$\frac{\Delta M}{qS\tau}$ = change in ritching moment at zero lift due to a nacelle $qS\tau$ (based on the whole wing area)

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## LIST OF SYMBOLS (Continued)

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 $\Delta C_{m_0}' = \frac{\Delta N}{qc^2 D} = \text{change in pitching moment at zero lift due to a nacelle}$ (based on local wing area at nacelle)

s,

$$\Delta C_{L} = \frac{\Delta L}{qS} = 1$$
 ift loss due to a nacelle (based on whole wing area)

$$\Delta C_{L}' = \frac{\Delta L}{qcD} = 11^{2}t \text{ loss due to a nacelle (based on local wing area at nacelle)}$$

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#### APPENDIX I

Correction to  $\Delta C_{m_0}$ ' (Extracted from Pef.3)

"When a nacclle is underslung, so that the lift is reduced locally, a correction is necessary to the value of  $\Delta C_{\rm H_O}$ ' found in complete model tests, before comparison with results of systematic tests with a nacelle on a wing can be made. For zero lift then indicates a lift  $\Delta L$  on the nacelle, and a compensating lift  $-\Delta L$  on the rest of the wing; the couple formed by the two forces contributes to  $\Delta N_{\rm O}$ . On the rectangular wing of the systematic tests, the wing lift  $-\Delta L$  acts at the quarter-chord line, and the contribution to  $\Delta M_{\rm O}$  is thus  $\Delta L = x$  oner x is the distance of the line of action of the nacelle lift  $\Delta L$  forward of the quarter-chord point. On a complete alroplane the lift of the nacelle is compensated at the aerodynamic mean centre, duch is usedly alread of the lift forces in this case becomes  $\Delta L = x - y$ , where y is the distance of the aerodynamic mean centre model, by the amount  $\Delta L = y$ . Expressed in non-dimensional form, the value of  $\Delta C_{\rm H_O}$  is reduced in going from rectangular wing to complete model by an amount  $\Delta C_L' y/c$  where  $\Delta C_L' = \frac{\Delta L}{\frac{1}{2}(M^2 eD)}$ is a coefficient of lift increase lue to a nacelle".

In the present report the values of  $\Delta C_{m_O}$ ' for all tests have been corrected for this wing lift moment i.e. a moment  $\Delta C_{L}$ '. y/c has been added to all values of  $\Delta C_{m_O}$ ' measured. Values of y/c were

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0.033 for the wing alone

0.143 for a low wing with body

0.148 for a high wing with body.

#### APPLIDIX II

## Estimation of $\beta$ , the effective incidence of the nabelle centre-line relative to the wing

Fre lift less die to a nacelle on a wing depends upon the amount the nacelle changes the local wing camber and thus the local no lift argle. This will vary it different sparwise positions across the nacelle but for similarly shaped nacelles (e.g. the roughly cylindrical shape of all propeller-turbine nacelles) the mange of the ne-lift angle at the nacelle centre-line may be considered as a consurt of the total lift loss due to a nacelle. The change in ne-lift angle and the effective incidence of the racelle centre line relative to the wing may be deduced from separate calculations of the no lift angles of the wing alone and of the nacelle-wing combination. Both may be calculated by the method of Ref. 6, using the formula:-

$$\beta = -\frac{180}{\pi^2} \int_{0}^{0} \frac{y_d \, dx}{x_c^{\frac{1}{2}} (e-x)^2} \, degrees$$

where

t

c is the "chord" from nose to trailing edge

x is measured parallel to the "lord" from the nose

y<sub>d</sub> is the distance of the camber line from the "chord"

Calculations of  $\beta_W$  - the wing no lift angle and  $\mu_V$  the no lift angle of the wing-macelle combination are given in Table IV. In finding the total change  $\Delta\beta$  it is necessary to include the angle  $\phi$  between the wing chord-line and wing-macelle combination chordline as the wing and wing-macelle are relatively it different includeness

Fig.7 shows the construction for

(1) a nacello underslung 12.1, chirl and dropped at  $4_{\tau}^{\circ}$  to the chordline, with allogschord overhang and i 10, chord over fairing

(12) a nacellic undersling 12.1, chord and purallel to the chordline with a 10% chord overhang and a 60 chord year fairing.

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#### TABLE I

#### Model Dimensions

#### (a) <u>5 ft Tunnel model</u>

#### Wing

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- Gross area Span Aspect ratio Mean chord Maximum thickness Position of maximum thickness Camber Section
- 532.8 sq.in, 48 in. 4.33 11.1 in. 15% chord 30% chord 2.4% chord k A.F.44 (modified to have straight portion from 65.5% chord to trailing edge on upper surface)

#### Body

None fitted

#### Nacelles

No propellers represented Geometric wing nacelle angle Details of nacelles tested are given in tables in text (see para.2)

## $0^{\circ}$ and $4^{\circ}$

#### (b) 111 ft Tunnel model

Wing

Aspect ratio	6
Mean chord	11.1 in.
Section	Same section as that of
	5 ft tunnel model

#### Body

Diameter of cylindrical portion	9 in.
Elliptic nose length	16.2 in.
Tapered rear length	27.0 in.
Front length (forward of wing L.E.)	27 <b>.1</b> 1n.
Rear length (aft of wing T.E.)	36.4 in.

#### Wing and Body junction

Wing position	Low and High
Geometric wing body angle	
Wing no lift angle	-1.4
Aerodynamic wing-body angle	1.4
Fillets (low wing only)	"Small" (Ref.1)

TABLE I (Continued)

### Fin and Tailplane

None fitted

#### Nacelles

#### No propellers represented Geometric wing nacelle angle Details of nacelles tested are given in tables in text (see para.2)

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(c) Distance of mid-point of overhanging part of nacelle below no lift line of wing drawn through  $\frac{1}{4}$  chord point =  $z_{\rm m}$ 

m	$\frac{z_m}{c}$ for all diameters					
C	Underslung	Underslung	Chordline	Chordline		
	$\frac{z}{c} = 0.121$	$\frac{z}{c} = 0.121$	$z = 0.121$ $\frac{z}{c} = 0$			
	$1_{\rm N} = 1.4^{\circ}$	$r_{\rm N} = 5.4^{\rm O}$	$1_{\rm N} = 1.4^{\rm O}$	$n_{\rm N} = 1.4^{\circ}$		
0.4	0.132		0.011			
0.6	0.134	0.153	0.013	0.032		
1.0	0.139 *	0.174	0.018	0 053		

#### TABLE II

#### Dimensions of Tapered Wing Model

Wing

1

980.1 sq.1n. Gross area 99 ın, Span 10 Aspect ratio 9.9 in. Mean chord 13.5 in. Centre line chord 11.95 in. Chord at inner nacelle centre line 10.38 in. Chord at outer nacelle centre line 2:1 Taper ratio 18% Centre t/c 12/. Tip t/c Camber 2/. chord Upper surface flat Dihedral N.A.C.A. 2418-2412 Section Quarter chord line is straight and at right angles to body centre line

#### Body

Diameter of cylindrical portion9 in.Elliptic nose length16.2 in.Tapered rear length27 in.Front piece (forward of centre-line wing chord L.U.)26.5 in.Rear piece (aft of centre-line wing chord T.E.)34.6 in.

#### Wing-Body Junction

Wing height	Low and High
Geometric wing/body angle	00
Wing no-lift angle	-2°_to chord
Hence aerodynamic wing-body angle	20
Fillct	"Medium" fillet of
	Ref.1 (low wing only)

#### Fin and Tailplane

None fisted

#### Nacelles

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Numbe	er of navelles	2
No pr	opellers represented	
Spanw	rise position of nacelles from body centre-lin	e
Inner		10.9 in
Outer	<b>,</b>	21.8 ln.
Maxim	num diameter	2.63 ln.
Ellip	tic nose length	4.78 ln.
Rcar	fairing length (aft of L.L.)	7.17 in.
Ortem	ong (came for inner and outer nacelle)	11.95 in.
Uvern Nova	nn n nachla ou rhang -	1.00 local chord
FOL L	mici naccile overlang -	1.151 local chord
FOL C	JULEI MACEITE OVERMANZ =	

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Nacelles (contd.)

Distance of centre line of underslung nacelles below	
wing L.E. (same for inner and outer nacelles)	1.43 in.
Inner nacelle is inderslung	0.121 local chord
Outer nacelle .s inderslung	0.138 local chord
	0 0
Geometric wing nacelle angle	O∑ and 4∑
Aerodynamic ving nacelle angle	$2^{\circ}$ and $6^{\circ}$

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### TABLE III

## Forward Movement of Aerodynamic Centre and Change in Pitching Moment at Zero Lift doe to a Nacelle on a Wing

#### Tests in 5 ft Tonnel

(Rectangular Wing, Aspect Ratio = 4.33)

Nacello Condition	∆k <sub>n</sub> '	-AC <sub>mo</sub> '(Meas)	-∆c <sup>r</sup> ,	-ACmo' excluding moment of wing lift
I <u>1 NACELLE ON CENTRE LINE OF WING</u>				
I(a) <u>Nacello diameter = 0.237 chord</u>				
Underslung $\frac{z}{c} = 0.121 \ l_{N} = 1.l_{+}^{\circ}$				
$\frac{n}{c} = 0.6 \qquad \frac{m}{o} = 0.1_{\rm H} \\ 0.6 \\ 1.0$	0.125 0.160 0.239	0.107 0.114 0.125	0.216 0.154 0.198	0.115 0.120 0.133
$\frac{n}{c} = 0.7$ $\frac{m}{c} = 0.6$ 1.0	0.161+ 0.21+4	0.099 0,108	0.216 0.216	0.107 0.116
$\frac{\mathbf{n}}{\mathbf{o}} = 0.9 \qquad \frac{\mathbf{m}}{\mathbf{o}} = 0.6 \\ 1.0$	0.162 0.244	0.067 0.073	0,307 0,235	0.078 0.082
Underslang $\frac{z}{c} = 0.121 \ \tau_{H} = 5.4^{\circ}$				
$\frac{n}{c} = 0.6$ $\frac{m}{c} = 0.6$ 1.0	0.16L 0 233	0.130 0.154	0.162	0.136 0.159
$\frac{n}{c} = 0.9$ $\frac{m}{c} = 0.6$ 1.0	0.160 0.234	0.072 0.092	0.298 0.270	0.083 0.102
Chordline $\frac{z}{c} = 0$ $i_{N} = 1.4^{\circ}$				
$\frac{n}{c} = 0.6 \qquad \frac{m}{c} = 0.4 \\ 0.6 \\ 1.0 $	0.173 0.213 0.289	0,013 0.016 0.025	0.090 0.054 0.054	0.016 0.018 0.027
Chordline $\frac{z}{c} = 0$ $l_{N} = 5.4^{\circ}$				
$\frac{n}{\sigma} = 0.6 \qquad \frac{m}{\sigma} = 0.6 \\ 1.0$	0.224 0.304	0.029 0.051	0 -0.018	0.028 0.050

			1	[ -ΔCm_'
Nacelle Condition	∆k <sub>n</sub> '	-∆C <sub>mo</sub> '(Meas)	-7c <sup>r</sup> ,	excluding moment of
I(b) Nacelle diameter = 0.272 chord				wing lift
Underslung $\frac{z}{c} = 0.121 \ 1_N = 1.4^{\circ}$				
$\frac{n}{c} = 0.6 \qquad \frac{m}{c} = 0.6 \qquad \frac{1}{1.0}$	0.171	0.113 0.126	0.220 0.204	0.121 0.134
$\frac{n}{c} = 0.7$ $\frac{m}{c} = 0.6$ 1.0	0.175 0.260	0.104 0.112	0.204 0.204	0.112 0.120
$\frac{n}{c} = 0.9$ $\frac{m}{c} = 0.6$ 1.0	0.176	0,068 0.071	0.315	0,080 0.083
Chordline $\frac{z}{c} = 0$ $\mu_{N} = 1$ 4 <sup>o</sup>				
$\frac{n}{c} = 0.6$ $\frac{r}{c} = 0.6$ 1.0	0,226	0.016 0.022	0.063	0.018 0.024
I(c) <u>Nacelle diameter = 0.356 chord</u>			 ¥ [	
Underslung $\frac{z}{c} = 0.121 \ l_{\rm N} = 1.4^{\circ}$				
$\frac{n}{c} = 0.9 \qquad \frac{m}{c} = 1.0$	0.310	C.082	0.339	0.095
Chordline $\frac{z}{c} = 0$ $\iota_{N} = 1.4^{\circ}$				
$\frac{n}{c} = 0.6 \qquad \frac{m}{c} = 1.0$	0.353	0.050	0.024	0.051
II <u>1 NACELLE ON WING</u>				
Nacelle diameter = 0.237 chord				
Underslung $\frac{z}{c} = 0.121 \ l_{\rm N} = 1.4^{\circ}$				
$\frac{n}{c} = 0.6  \frac{m}{a} = 1.0  \frac{y}{D} = 3.80$	0,230	0.124	0.181	0.131
III <u>2 NACELLES ON WING</u>				
III(a) <u>Nacelle diameter = 0.237 chord</u>				
Underslung $\frac{z}{c} = 0.121 \ l_{N} = 1.4^{\circ}$				
$\frac{n}{c} = 0.6  \frac{m}{c} = 1.0  \frac{y}{D} = 2.07$	0.239	0,123	0.198	0.131
$\frac{y}{D} = 3.80$	0.241	0.122	0.198	0.130
III(b) <u>Nacelle diameter = 0.356 chord</u>				
Underslung $\frac{z}{c} = 0.121$ i <sub>N</sub> = 1.4 <sup>°</sup>				
$\frac{n}{c} = 0.9  \frac{m}{c} = 1.0  \frac{v}{D} = 1.38$ $\frac{v}{D} = 2.07$	0 <b>.</b> 323 <u>0.3</u> 07	0.072 0.068	0,350 0,350	0.036 0.082

TABLE III (Continued)

## TABLE IV

## Values of $\beta$ the Effective Inclience of the Nacello Centre-Line Relative to the Wing

	Angle of droop relative to chord- line θ degrees	Angle of wing- nacelle chordline to wing chordline ¢ degrees	No lift angle relative to wing- nacelle chordline $\beta_N$ degrees	Nc lift angle of wing β <sub>W</sub> degrees	$\Delta \beta (degrees)  \beta_N - \beta_W + \phi  degrees$
(a) <u>Nacelle dia-</u> meter = 0.237 chord					
Underslung $\frac{z}{3} = 0.121$					
$\frac{n}{c} = 0.6  \frac{m}{c} = 0.4 \\ 0.6 \\ 1.0 \\ 0.6 \\ 1.0$		4.92 4.32 3.45 5.80 5.43	-1.94 -1.17 -0.41 -2.14 -1.64	<b>-1</b> .02	4.00 4.17 4.06 4.68 4.81
$\frac{n}{c} = 0.7  \frac{m}{c} = 0.6$	0 0	4.32 3.45	-0 72 -0.09		4.52 4.38
$\frac{n}{c} = 0.9  \frac{m}{c} = 0.6 \\ 1.0 \\ 0.6 \\ 1.0$	0 0 4 4	4.32 3.45 5.80 5.43	+1.28 +1.67 +0.47 +0.42		6.62 6.14 7.29 6.87
Chordline $\frac{z}{c} = 0$					
$\frac{n}{c} = 0.6 \qquad \frac{m}{c} = 0.4 \\ 0.6 \\ 1.0 \\ 0.6 \\ 1.0 \\ 1.0 \\ 1.0 \\ 0.6 \\ 1.0 \\ 0.$	0 0 4 4	0 0 1.51 2.00	-0.44 -0.40 -0.37 -1 54 -1.61		0.58 0.62 0.65 0.95 1.41
(b) <u>Nacelle dia-</u> meter = 0.272 chord					
Underslung $\frac{z}{c} = 0.121$					
$\frac{n}{c} = 0.6  \frac{m}{c} = 0.6  1.0$	0	4.32 3.45	-+. / -0.37		4.17 4.10
$\frac{n}{c} = 0.7  \frac{m}{c} = 0.6  1.0$	0 0	4 32 3.45	-0.62 +0 11		4.72 4.58
$\frac{n}{a} = 0.9$ $\frac{m}{a} = 0.6$ 1.0	0	4.32 3.45	+1.49 +1.37		6.23 6.34

## TABLE IV (Continued)

	Angle of droop relative to chord- line 0 degrees	Angle of wing- nacelle chordline to wing chordline ¢ degrees	No lift angle relative to wing- nacelle chordline <sub>N</sub> degrees	No lift angle of wing β <sub>W</sub> degrees	Δβ(degrees) β <sub>Ν</sub> -β <sub>W</sub> +φ degrees
Chordline $\frac{z}{c} = C$ $\frac{n}{c} = 0.6$ $\frac{m}{c} = 0.6$ (c) Nacelle dia- meter = 0.356 chord	0 ()	<i>L.</i> О О	-0,44 -0,44		0.58 0.62
Underslung $\frac{z}{c} = 0.121$ $\frac{n}{c} = 0.9$ $\frac{m}{c} = 1.0$ Chordline $\frac{z}{c} = 0$ $\frac{n}{c} = 0.6$ $\frac{m}{c} = 1.0$	0	3.45	+3.08 -0.49		7.55 0.62

#### TAPLE V

## Ferward Movement of Aerodynamic Centre and Change in Pitching Moment at Zero Lift due to a Nucelle in the Presence of a Body

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## No.1 $11\frac{1}{5} \ge 8\frac{1}{5}$ it tunnel (Pectangular ving, aspect ratio = 6.0)

Condution	ʻikn '	-AC <sub>mo</sub> (meas)	-70 <sup>L</sup> ,	-AC <sub>mo</sub> ' cicluding moment of wing lift	Inter- ference factor (on ∆k <sub>n</sub> ')	Inter- ference incr(ment (on AC <sub>mo</sub> ')
I <u>HIGH VING</u>						
(a) <u>Nacelle diameter</u> = 0,237 chord						
Underslung $\frac{z}{c} = C.121$ $\frac{1_{K} = 1.4^{\circ}}{2}$						
$\frac{y}{D_{b}} = 1 \ 0$ 1 21 1.56 1.74 2.3L	0,329 0,310 0,268 0,244 0,236	0.1155 0.112 0.107 0.104 0.104	0.191 0 203 0.203 0.210 0.184	0.1435 0.142 0.137 0.135 0.131	1.395 1.315 1.135 1.035 1.000	-0.0125 -0.011 -0.006 -0.004 0
$\frac{\text{Chordline } \frac{z}{c} = 0}{\frac{1}{N} = 1.4^{\circ}}$						
$\frac{y}{D_{b}} = 1.0$ 2.31	0.356	0.0255 0.0115	0.051 0.057	0,033 0.200	1.364 1.000	-0.01 <u>3</u> 0
(b) <u>Macelle diameter</u> = 0.356 chord						
$\frac{\text{Undorslung } \frac{z}{2} = 0.121}{1N = 1.4^{\circ}}$						
$\frac{v}{D_b} = 1.0$ 2.29	0.466 0.331	0 012 0.0395	0.591 0.424	0 0995 0.1025	1.410 0	+0.00j 0
II LOW WING						
(a) <u>Nacelle diameter</u> = 0.237 chord						
$\frac{\text{Chordline } \frac{z}{c} = 0}{u_{\text{N}} = 1.20}$						
$\frac{y}{D_b} = 1.0 \\ 1.21 \\ 2.3L$	0.383	0 0 <b>33</b> 0.0265 0.027	0 0.038 0.013	0.033 0.052 0.025	1.270 1.150 1.000	-0.008 -0.007 0

Aerodynamic Wing-Body angle = 1.4°

TABLE V (Continued)

Condition	∆k <sub>n</sub> '	-∆C <sub>mo</sub> ' (neas)	-40° <sup>T</sup> ,	-4Cmo' excluding moment of wing lift	Inter- ference factor (on $\Delta k_n'$ )	Inter- ference increment (on $\Delta C_{m_0}$ ')
(b) <u>Nacelle diameter</u> = 0.356 chord Underslung $\frac{z}{c} = 0$ $\frac{1}{N} = 1.4^{\circ}$ $\frac{y}{D_{b}} = 1$	0.384	0.027	0.422	0.0875	1.210 1.115	+0.004 +0.0035
2.29 III <u>WING ALONE</u> (Without Body) <u>Nacelle diameter</u>	0.318	0.043	0.340	0.0915	1.00	0
$\frac{= 0.237 \text{ chord}}{\text{Underslung } \frac{z}{c} = 0.121}$ $\frac{1N = 1.4^{\circ}}{\sqrt{2}} = 2.34$	0.236	0.127	0.254	0.129		

## FIG.I.



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## FIG.I. NACELLES OF DIAMETER O'237 CHORD.

UNDERSLUNG NACELLE, DIAMETER = 0.272 CHORD - SHOWING AVAILABLE REAR FAIRINGS.

> NOTE - OVERHANGS OF 0.6 AND 1.0 CHORD AVAILABLE AS FOR \_\_\_\_\_CHORDLINE.



CHORDLINE NACELLE, DIAMETER = 0.272 CHORD - SHOWING AVAILABLE OVERHANGS.



UNDERSLUNG NACELLE, DIAMETER = 0.356 CHORD.



CHORDLINE NACELLE, DIAMETER = 0.356 CHORD.



O 1 2 3 4 5

FIG. 2. NACELLES OF DIAMETER O.272 AND O.356 CHORD.

## FIG.3.



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FIG.3. G.A. OF MODEL USED FOR BODY INTERFERENCE TESTS.

FIG.4.



FIG. 4. G.A. OF TAPERED WING MODEL.

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FIG. 5.



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FIG.5. G.A. OF MODEL OF S.R. 10/46.

## FIG.6. G.A. OF MODEL OF VISCOUNT.



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FIG. 6.



FIG.7. ESTIMATION OF 3.

## FIG.9. VARIATION WITH DIAMETER OF FORWARD MOVEMENT OF AERODYNAMIC CENTRE ON NACELLE.



FIG.8. FORWARD MOVEMENT OF AERODYNAMIC CENTRE ON NACELLE OF DIAMETER 0.237 CHORD.



# FIG.II. VARIATION WITH DIAMETER OF PITCHING MOMENT AT ZERO LIFT DUE TO A NACELLE.



FIG.IO. PITCHING MOMENT AT ZERO LIFT DUE TO A NACELLE OF DIAMETER 0.237 CHORD.



FIG.10&11.





FIG.13. LIFT LOSS DUE TO A NACELLE ON A WING.

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FIG.15. EFFECT OF BODY ON PITCHING MOMENT AT ZERO LIFT.

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